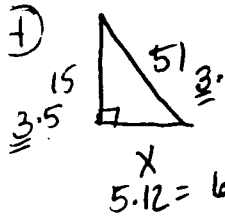
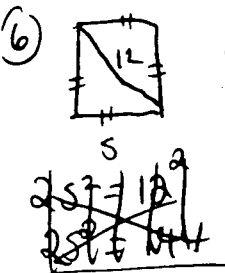


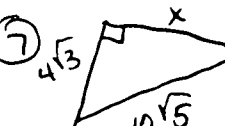
* geometry honors

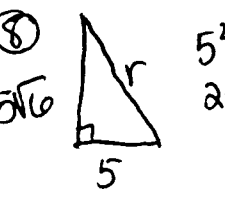
3) $10\sqrt{360}$
 $10\sqrt{36}\sqrt{10}$
 $10 \cdot 6 \cdot \sqrt{10}$ $60\sqrt{10}$

4)  Primitive!
 $5 \cdot 12 \cdot 17$
 $5 \cdot 12 = 60$

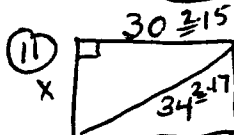
5) $149, 12, \sqrt{5}$ r + Δ?
 $12^2 + (\sqrt{5})^2 \stackrel{?}{=} 149^2$
 $144 + 5 \stackrel{?}{=} 149^2$ no

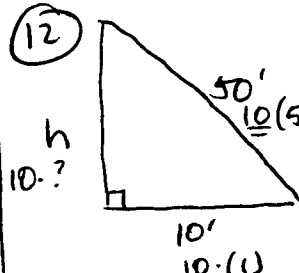
6)  $S = 12\sqrt{2}$
 $6\sqrt{2}$

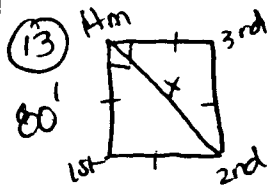
7) 
 $x^2 + (4\sqrt{3})^2 = (10\sqrt{5})^2$
 $x^2 + 48 = 500$
 $x^2 = 452$
 $x = \sqrt{452}$ $2\sqrt{113}$

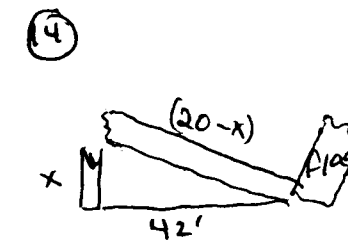
8) 
 $5^2 + (5\sqrt{6})^2 = r^2$
 $25 + 150 = r^2$
 $r^2 = 175$
 $r = \sqrt{175}$
 $r = \sqrt{25 \cdot 7}$
 $r = 5\sqrt{7}$

Ch. 9 Pre-Test Solutions

11)  primitive!
 $8 \cdot 15 \cdot 17!$
 $x = 8(2) = 16$
 $P = 2(16) + 2(30)$
 $= 32 + 60$ 92 cm

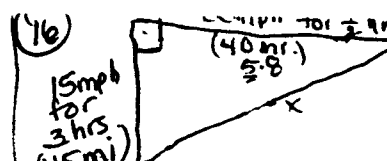
12) 
 $1^2 + b^2 = 5^2$
 $1 + b^2 = 25$
 $b^2 = 24$
 $b = 2\sqrt{6}$
 $h = 10(2\sqrt{6})$
 $h = 20\sqrt{6}$
 $h = 48'$


13)  $80\sqrt{2}'$

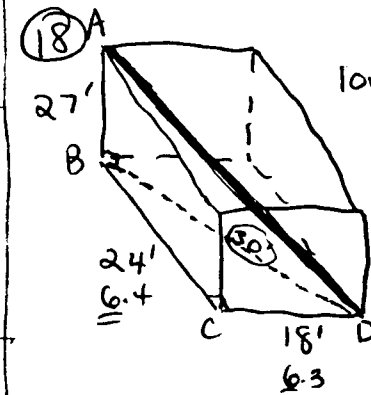
14) 
 $x^2 + 42^2 = (20-x)^2$
 $x^2 + 1764 = 400 - 40x + x^2$
 $1364 = -40x$
 $x = \frac{-341}{10}$

I know there's no such thing as having negative length but that's what happens when you make up a problem off the top of your head!

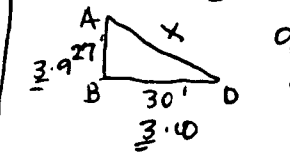
15)  $15'$

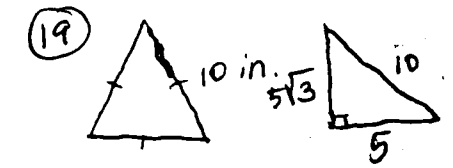
16)  (40 mi.)
 $9^2 + 8^2 = x^2$
 $81 + 64 = x^2$
 $145 = x^2$
 $x = \sqrt{145}$
 $\sqrt{145} \text{ mi}$
 $\approx 12 \text{ miles}$

17)  $d = 8\sqrt{6} \cdot \sqrt{2}$
 $8\sqrt{4 \cdot 3}$
 $16\sqrt{3}$

18)  length longest stick?
 $27'$
 $24'$
 $18'$
 $6 \cdot 3$

Primitive! 3-4-5!
 ----- diagonal is $6 \cdot 5 = 30!$
 $m \overline{BD} = 30'$ Now use $\triangle ABD$ to solve the length of the longest stick (\overline{AD}).

 $9^2 + 10^2 = x^2$
 $81 + 100 = x^2$
 $181 = x^2$
 $x = \sqrt{181} \text{ ft.}$

19) 
 $A = \frac{1}{2}bh$
 $= \frac{1}{2}(10)(5\sqrt{3})$
 $25\sqrt{3} \text{ in}$

$$r = \sqrt{25\sqrt{7}}$$

$$r = 5\sqrt{7}$$

at your house:

$$A = \frac{1}{2}bh$$

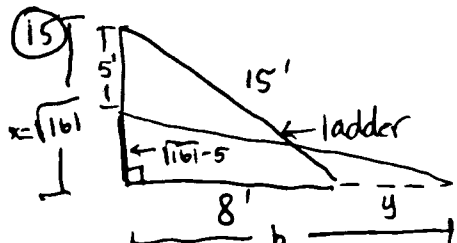
$$= \frac{1}{2}(10)(5\sqrt{3})$$

$$25\sqrt{3} \text{ in}^2$$

9

70'
7' 10
240'
24' 10

primitive!
7-24-25
250'



20

x
y
4\sqrt{3}

x = 4\sqrt{3}
y = 4\sqrt{6}

10

3''
24''
b

A = ?
3^2 + b^2 = 24^2
9 + b^2 = 576
b^2 = 567
b = \sqrt{567}

A = \frac{1}{2}bh
= \frac{1}{2}(9\sqrt{7})(3)

= \frac{27\sqrt{7}}{2}

$$x^2 + 8^2 = 15^2$$

$$x^2 + 64 = 225$$

$$x = \sqrt{161}$$

$$(\sqrt{161} - 5)^2 + b^2 = 15^2$$

$$b \approx 12.87966519$$

$$y \approx 12.87966519 - 8$$

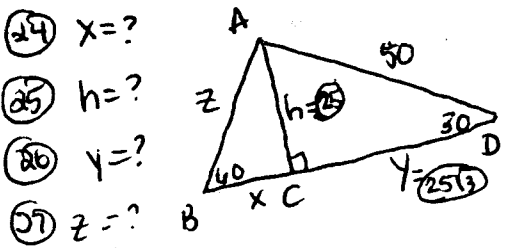
$$y \approx 4.9 \text{ ft}$$

22 x = ?
23 y = ?

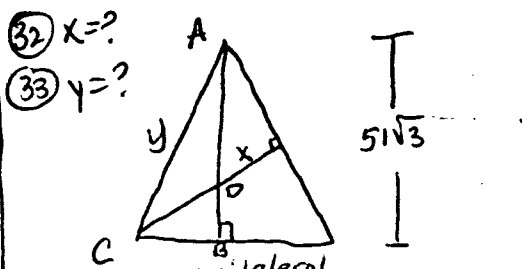
x = 15\sqrt{3}
y = 30

x
y
15 (short side)

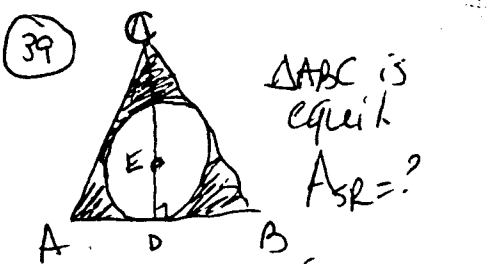
In a 30-60-90 \Delta, if short side has length x, then long leg is x\sqrt{3} and a hyp. is 2x.



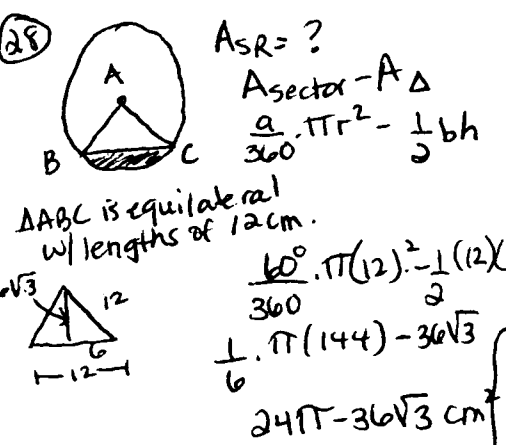
Notice $\triangle ABC$, $\triangle ACD$, and $\triangle ABD$ are all 30-60-90 \triangle s. If $AD = 50$ then $h = 25$ and $y = 25\sqrt{3}$. h in $\triangle ABC$ is the long side so if it equals 25 then the short side, x , is $\frac{25\sqrt{3}}{3}$ and $z = \frac{50\sqrt{3}}{3}$.



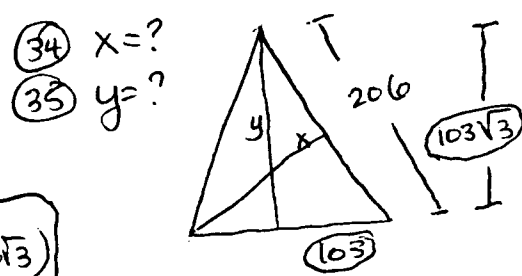
$\triangle ABC$ is \triangle equilateral
 $2:1 \rightarrow \frac{5\sqrt{3}}{3} = 17\sqrt{3} (BD) = x$
 If $AB = 5\sqrt{3}$ then $BC = 5$
 $AC = 102$
 $x = 17\sqrt{3}$
 $y = 102$



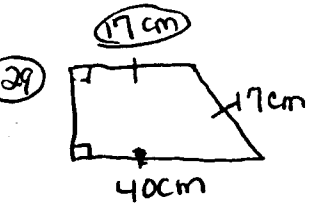
$\triangle ABC$ is equilateral
 $A_{SR} = ?$
 $AB = 64 \text{ cm}$
 $\pi = 3.14$
 $\sqrt{3} = 1.73$
 If $AB = 64, BD = 32, CD = 32\sqrt{3}, ED = \frac{32\sqrt{3}}{3}$
 $A_{SR} = A_{\triangle} - A_{\circ}$
 $= \frac{1}{2}bh - \pi r^2$
 $= \frac{1}{2}(64)(32\sqrt{3}) - \pi(\frac{32\sqrt{3}}{3})^2$
 $= 1024\sqrt{3} - \frac{\pi(1024)(3)}{9}$
 $= 1024\sqrt{3} - \frac{1024\pi}{3}$



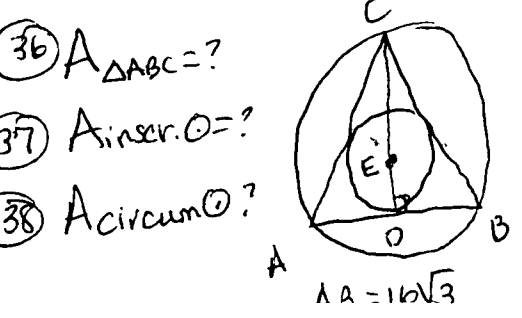
$A_{\text{sector}} - A_{\triangle}$
 $\frac{\theta}{360} \cdot \pi r^2 - \frac{1}{2}bh$
 $\triangle ABC$ is equilateral w/ lengths of 12 cm.
 $\frac{60^\circ}{360} \cdot \pi(12)^2 - \frac{1}{2}(12)(6\sqrt{3})$
 $\frac{1}{6} \cdot \pi(144) - 36\sqrt{3}$
 $24\pi - 36\sqrt{3} \text{ cm}^2$



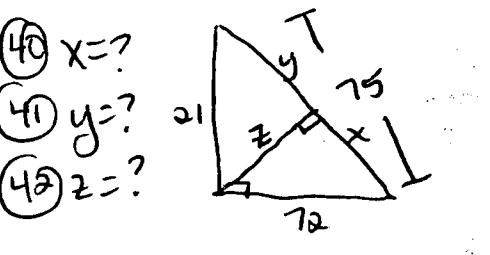
$\frac{103\sqrt{3}}{3} = x$
 $x = \frac{103\sqrt{3}}{3}$
 $y = \frac{206\sqrt{3}}{3}$



$A = \frac{1}{2}(b_1 + b_2)h$
 $= \frac{1}{2}(17 + 40)h$
 $= \frac{1}{2}(57)h$



$A_{\triangle} = 16\sqrt{3}$



$\frac{75}{72} = \frac{72}{x}$
 $\frac{95}{21} = \frac{21}{y}$
 $75x = 5184$
 $x = \frac{5184}{75}$
 $75y = 441$
 $y = \frac{441}{75}$

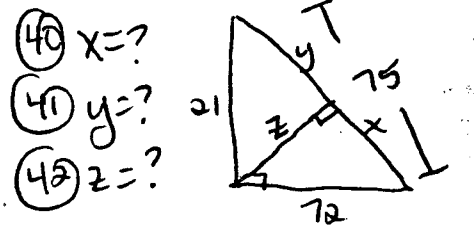
$$\frac{1}{6} \cdot \pi(144) - 36\sqrt{3}$$

$$24\pi - 36\sqrt{3} \text{ cm}^2$$

$$\frac{103\sqrt{3}}{3} = x$$

$$x = \frac{103\sqrt{3}}{3}$$

$$y = \frac{206\sqrt{3}}{3}$$



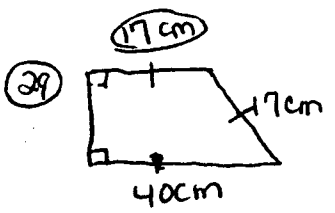
40) $x = ?$
 41) $y = ?$
 42) $z = ?$

$$\frac{75}{72} = \frac{72}{x} \quad \frac{75}{21} = \frac{21}{y}$$

$$75x = 5184 \quad 75y = 441$$

$$x = \frac{5184}{75}$$

$$y = \frac{441}{75}$$

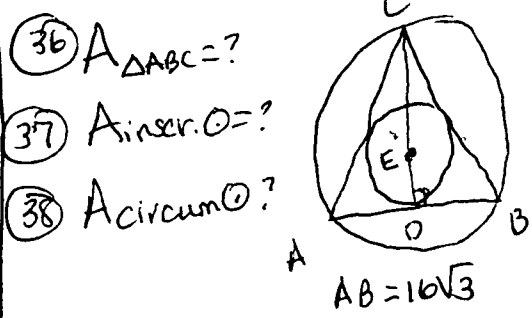


29)

$$A = \frac{1}{2}(b_1 + b_2)h$$

$$= \frac{1}{2}(17 + 40)h$$

$$= \frac{1}{2}(57)h$$



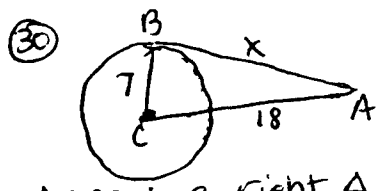
36) $A_{\Delta ABC} = ?$
 37) $A_{\text{inscr. } \odot} = ?$
 38) $A_{\text{circum } \odot} = ?$

If $AB = 16\sqrt{3}$, then $BD = 8\sqrt{3}$ (short side),
 then $CD = 8\sqrt{3} = 24$. If $CD = 24$,
 then $DE = \frac{1}{3}(24) = 8$ (radius of insc. \odot).

$$A_{\Delta ABC} = \frac{1}{2}bh = \frac{1}{2}(16\sqrt{3})(24) = 192\sqrt{3}$$

$$A_{\text{inscr. } \odot} = \pi r^2 = (8)^2\pi = 64\pi$$

$$A_{\text{circum } \odot} = \pi R^2 = 256\pi$$



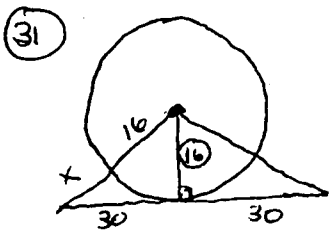
30) ΔABC is a right Δ with $\angle B = 90^\circ$ (radius drawn to the pt. of tangency is a right \angle). ΔABC is also a primitive (7-24-25) Δ .
 Therefore, $x = 24$

$$\frac{147}{25} = \frac{z}{\frac{5184}{75}}$$

$$z^2 = \frac{49}{25} \cdot \frac{5184}{75 \cdot 25}$$

$$z = \sqrt{\frac{49}{25} \cdot \frac{5184}{25}}$$

$$z = \frac{7}{5} \cdot \frac{72}{5} = \frac{504}{25}$$



31)

$$16^2 + 30^2 = (x + 16)^2$$

$$256 + 900 = x^2 + 32x + 256$$

$$1156 = x^2 + 32x + 256$$

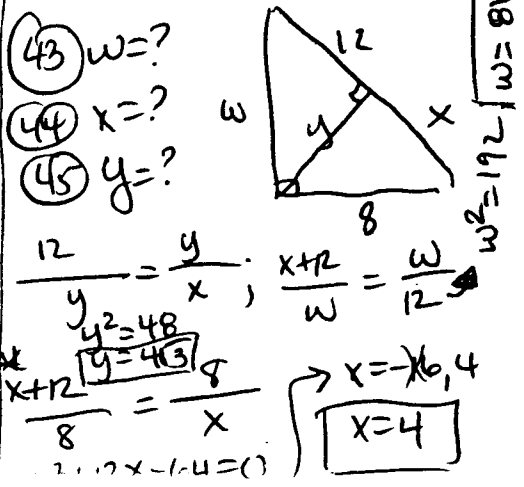
$$0 = x^2 + 32x - 900$$

$$\begin{array}{r} -900 \mid 32 \\ \underline{36 - 25} \\ 90 \\ \underline{9 10} \\ 9 10 \\ \underline{3 3} \\ 2 2 3 3 5 5 \end{array}$$

$$A_{\Delta ABC} = 192\sqrt{3}$$

$$A_{\text{inscr } \odot} = 64\pi$$

$$A_{\text{circ } \odot} = 256\pi$$



43) $w = ?$
 44) $x = ?$
 45) $y = ?$

$$\frac{12}{8} = \frac{y}{x} \quad \frac{x+12}{w} = \frac{w}{12}$$

$$y^2 = 48$$

$$y = 4\sqrt{3}$$

$$x = 4$$